

Name:

Enrolment No:



**UNIVERSITY OF PETROLEUM & ENERGY STUDIES  
DEHRADUN**

End Semester Examination-Dec 2018

Program/course : MBA OG  
Subject : Econometrics  
Code : MBCE702  
No. of page/s : 8

Semester : III  
Max. Marks : 100  
Duration : 3 Hrs

**Section A ( attempt all)**

**Q1.** Fill the blank using the regression result given below:

Source	SS	df	MS			
Model	60973.5878	2	30486.7939	Number of obs =	36	
Residual	23271.2971	33	705.190821	F( 2, 33) =	43.23	
Total	84244.8849	35	2406.99671	Prob > F =	0.0000	
				R-squared =	0.7238	
				Adj R-squared =	0.7070	
				Root MSE =	26.555	

oc	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
gdp	3.53503	2.231181	1.58	0.123	-1.004342	8.074401
fdi	42.99946	5.139897	8.37	0.000	32.54226	53.45666
_cons	37.92905	14.1927	2.67	0.012	9.053785	66.80432

i.	$R^2 =$ _____.	[2]	CO1
ii.	ESS = _____.	[2]	CO1
iii.	Dependent variable is _____.	[2]	CO1
iv.	RSS = _____.	[2]	CO1
v.	P-value for F = _____.	[2]	CO1
vi.	Number of significant t-ratio = _____.	[2]	CO1
vii.	Adjusted $R^2 =$ _____.	[2]	CO1
viii.	TSS = _____.	[2]	CO1
ix.	Degree of freedom for RSS = _____.	[2]	CO1

x.	Intercept of the model = _____.	[2]	CO1
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**SECTION B**  
**Answer any four questions**

Q2.	<p>The regression result of Natural Gas Production (GP) is given below. State which explanatory variables are statistically and significantly affecting GP.</p> <table border="1" style="margin-left: auto; margin-right: auto;"> <thead> <tr> <th>GP</th> <th>Coef.</th> <th>Std. Err.</th> <th>t</th> <th>P&gt; t </th> </tr> </thead> <tbody> <tr> <td>GDPP</td> <td>-.0156572</td> <td>.0127679</td> <td>-1.23</td> <td>0.229</td> </tr> <tr> <td>DCF</td> <td>.4852146</td> <td>.1718355</td> <td>2.82</td> <td>0.008</td> </tr> <tr> <td>EIM</td> <td>1.44941</td> <td>.3663004</td> <td>3.96</td> <td>0.000</td> </tr> <tr> <td>FDIP</td> <td>-.7732869</td> <td>1.427769</td> <td>-0.54</td> <td>0.592</td> </tr> <tr> <td>GCFR</td> <td>.0577847</td> <td>.0779678</td> <td>0.74</td> <td>0.464</td> </tr> <tr> <td>IVAR</td> <td>.2376649</td> <td>.2601368</td> <td>0.91</td> <td>0.368</td> </tr> <tr> <td>_cons</td> <td>-19.63859</td> <td>4.848213</td> <td>-4.05</td> <td>0.000</td> </tr> </tbody> </table>	GP	Coef.	Std. Err.	t	P> t	GDPP	-.0156572	.0127679	-1.23	0.229	DCF	.4852146	.1718355	2.82	0.008	EIM	1.44941	.3663004	3.96	0.000	FDIP	-.7732869	1.427769	-0.54	0.592	GCFR	.0577847	.0779678	0.74	0.464	IVAR	.2376649	.2601368	0.91	0.368	_cons	-19.63859	4.848213	-4.05	0.000	[5]	CO3, CO4
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Q3.	<p>From the regression result of crude oil production function, p-values are given below. Prepare a table as given below and state at what level independent variables are affecting crude oil production significantly.</p> <table border="1" style="margin-left: auto; margin-right: auto;"> <thead> <tr> <th>Crude Oil Production</th> <th>p &gt;  t </th> <th>Level of Sig.</th> </tr> </thead> <tbody> <tr> <td>Price of Crude Oil</td> <td>0.001</td> <td></td> </tr> <tr> <td>Per Capita GDP</td> <td>0.002</td> <td></td> </tr> <tr> <td>Refinery Throughputs</td> <td>0.052</td> <td></td> </tr> <tr> <td>Proved Reserves of Crude Oil</td> <td>0.345</td> <td></td> </tr> <tr> <td>Population</td> <td>0.124</td> <td></td> </tr> <tr> <td>Carbon Emission</td> <td>0.564</td> <td></td> </tr> </tbody> </table>	Crude Oil Production	p >  t	Level of Sig.	Price of Crude Oil	0.001		Per Capita GDP	0.002		Refinery Throughputs	0.052		Proved Reserves of Crude Oil	0.345		Population	0.124		Carbon Emission	0.564		[5]	CO3, CO4
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Q4.	<p>Formulate one crude oil import function, write down its functional form and econometric specification for the following variables:</p> <p style="margin-left: 40px;"> <math>Q_m</math> : Amount of crude oil imported  <math>Y</math> : Gross Domestic Product  <math>P</math> : Price of Crude Oil </p>	[5]	CO3, CO4
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Q5.	<p>Net Energy imports (% of energy use) (EIM) is estimated using GDP per capita (constant 2010 US\$) (GDPP) as the explanatory variable and the results are given below.</p> <table border="1" data-bbox="175 359 1252 531"> <thead> <tr> <th>EIM</th> <th>Coef.</th> <th>Std. Err.</th> <th>t</th> <th>P&gt; t </th> <th colspan="2">[95% Conf. Interval]</th> </tr> </thead> <tbody> <tr> <td>GDPP</td> <td>.0224264</td> <td>.0010231</td> <td>21.92</td> <td>0.000</td> <td>.0203603</td> <td>.0244925</td> </tr> <tr> <td>_cons</td> <td>-1.444897</td> <td>.8098442</td> <td>-1.78</td> <td>0.082</td> <td>-3.08041</td> <td>.190617</td> </tr> </tbody> </table> <p>a) Test the hypothesis that <math>H_0: \beta_2 = 0</math> against <math>H_1: \beta_2 \neq 0</math>. Which test do you use? And why?</p> <p>b) Interpret <math>\beta_1</math> and <math>\beta_2</math>.</p>	EIM	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]		GDPP	.0224264	.0010231	21.92	0.000	.0203603	.0244925	_cons	-1.444897	.8098442	-1.78	0.082	-3.08041	.190617	[5]	CO3, CO4
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Q6.	<p>The ANOVA table of one regression result is given below.</p> <p>The critical value of <math>F(6, 25)=2.4904</math> and <math>\alpha = 5\%</math>.</p> <table border="1" data-bbox="306 877 1154 1161"> <thead> <tr> <th>SOURCE</th> <th>SS</th> <th>Df</th> <th>MSS</th> </tr> </thead> <tbody> <tr> <td>MODEL</td> <td>2513371</td> <td>6</td> <td></td> </tr> <tr> <td>RESIDUAL</td> <td></td> <td></td> <td></td> </tr> <tr> <td>TOTAL</td> <td>2549153</td> <td>31</td> <td></td> </tr> </tbody> </table> <p>Compute (i) RSS (ii) Degree of freedom for RSS, (iii) Mean sum of squares, (ii) F and (iii) state the overall significance of the model.</p>	SOURCE	SS	Df	MSS	MODEL	2513371	6		RESIDUAL				TOTAL	2549153	31		[5]	CO3, CO4					
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<b>SECTION C</b>																								
Q7.	<p>In the following multiple regression result, Gas Production – tonnes (Million tonnes oil equivalent) (GP) is estimated using factors such as GDP per capita (constant 2010 US\$) (GP), Domestic credit provided by financial sector (% of GDP) (DCF), Energy imports, net (% of energy use) (EIM), Foreign direct investment, net inflows (% of GDP) (FDIP), Gross capital formation (annual % growth) (GCFR), and Industry, value added (annual % growth) (IVAR).</p>	[15]	CO1, CO4																					

Source	SS	df	MS			
Model	5564.44289	6	927.407148	Number of obs =	39	
Residual	487.629289	32	15.2384153	F( 6, 32) =	60.86	
Total	6052.07218	38	159.265057	Prob > F =	0.0000	
				R-squared =	0.9194	
				Adj R-squared =	0.9043	
				Root MSE =	3.9036	

GP	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
GDPP	-.0156572	.0127679	-1.23	0.229	-.0416646	.0103502
DCF	.4852146	.1718355	2.82	0.008	.1351971	.8352321
EIM	1.44941	.3663004	3.96	0.000	.7032801	2.195539
FDIP	-.7732869	1.427769	-0.54	0.592	-3.681557	2.134983
GCFR	.0577847	.0779678	0.74	0.464	-.1010305	.2165998
IVAR	.2376649	.2601368	0.91	0.368	-.2922164	.7675462
_cons	-19.63859	4.848213	-4.05	0.000	-29.51408	-9.763103

- (i) Interpret all the slope coefficients
- (ii) Interpret intercept, (iii) Interpret  $R^2$ , (iv) Test joint hypothesis.

Q8. State and explain first five assumption of classical linear regression model.

[15]

CO3,  
CO4

Q9. Oil consumption (oc) is estimated using crude oil price (p), crude oil import (im), crude oil export (ex), per capita GDP (pgdp) and carbon emission (co2).

[15]

CO3,  
CO4

Multiple Regression Results

Source	SS	df	MS			
Model	7938423.38	5	1587684.68	Number of obs =	35	
Residual	123989.991	29	4275.51694	F( 5, 29) =	371.34	
Total	8062413.37	34	237129.805	Prob > F =	0.0000	
				R-squared =	0.9846	
				Adj R-squared =	0.9820	
				Root MSE =	65.387	

oc	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
p	-3.834641	.8662552	-4.43	0.000	-5.606331	-2.06295
im	.6252913	.0466814	13.39	0.000	.5298171	.7207655
ex	-.1236515	.0271815	-4.55	0.000	-.1792438	-.0680591
pgdp	.0050046	.0024767	2.02	0.053	-.000061	.0100701
co2	1.122187	.2407524	4.66	0.000	.6297929	1.614581
_cons	1068.624	161.3615	6.62	0.000	738.6027	1398.645

- (a) Identify Explained Sum of square (ESS), residual sum of square (RSS) and show that Total sum of square (TSS)= ESS+ RSS.
- (b) Which test will you use to do individual hypothesis testing?
- (c) Do the hypotheses testing of all the explanatory variables that they are not impacting oc individually.

**Section D**

**Answer any one question**

1 X 30 = 30

Q10. Answer the questions based upon the following regression results.

[30]

CO1,  
CO3,  
CO4

Source	SS	df	MS			
Model	5564.44289	6	927.407148	Number of obs =	39	
Residual	487.629289	32	15.2384153	F( 6, 32) =	60.86	
				Prob > F =	0.0000	
				R-squared =	0.9194	
				Adj R-squared =	0.9043	
				Root MSE =	3.9036	
Total	6052.07218	38	159.265057			

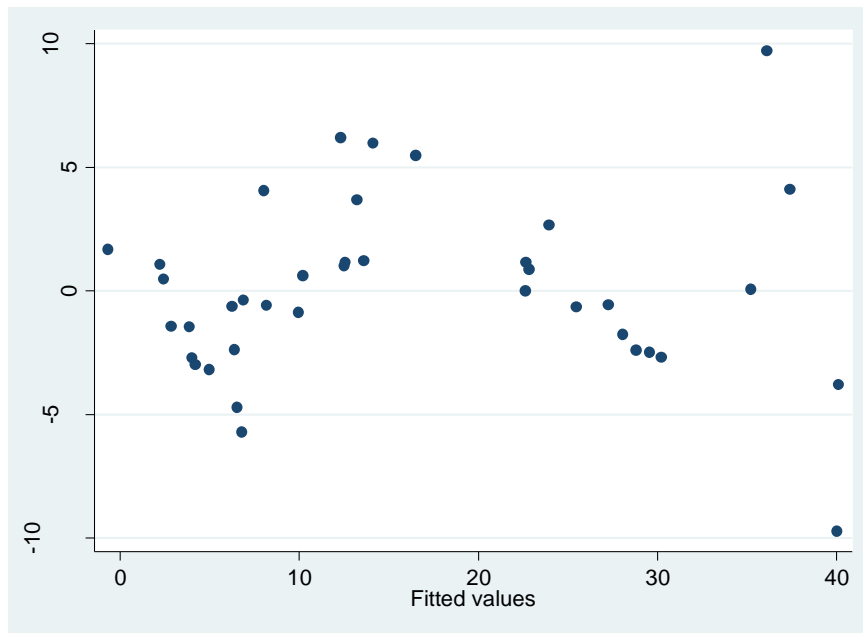
  

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**HETEROSCADASTICITY**

(i) Identify the presence of heteroscedasticity from the following post estimation results and interpret the results.

Graphical Method



## Breusch-Pagan / Cook-Weisberg test

```

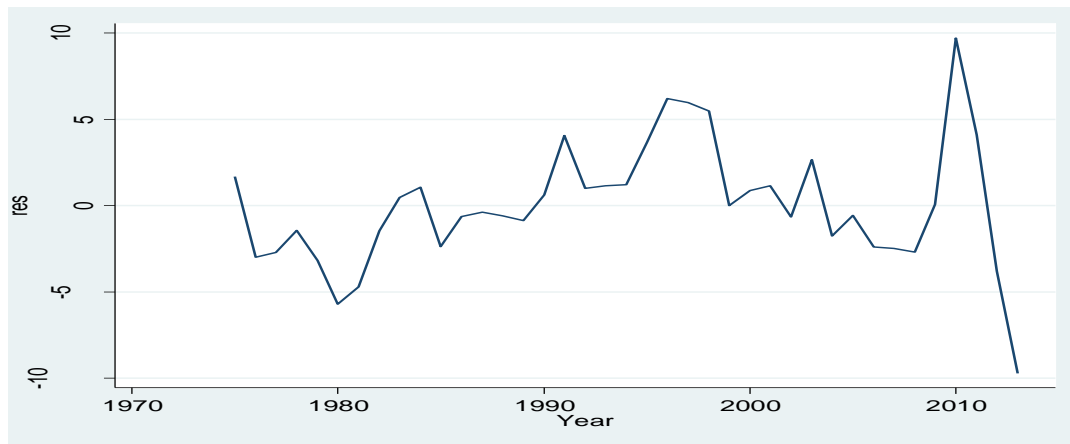
Breusch-Pagan / Cook-Weisberg test for heteroskedasticity
Ho: Constant variance
variables: fitted values of GP

chi2(1)      =    7.82
Prob > chi2  =    0.0052
    
```

## AUTOCORRELATION

(ii) Identify the presence of autocorrelation from the following post estimation results and interpret the results.

### Graphical Method



### Durbin's Alternative Test

Durbin's alternative test for autocorrelation			
lags( $p$ )	chi2	df	Prob > chi2
1	<b>17.228</b>	<b>1</b>	<b>0.0000</b>
H0: no serial correlation			

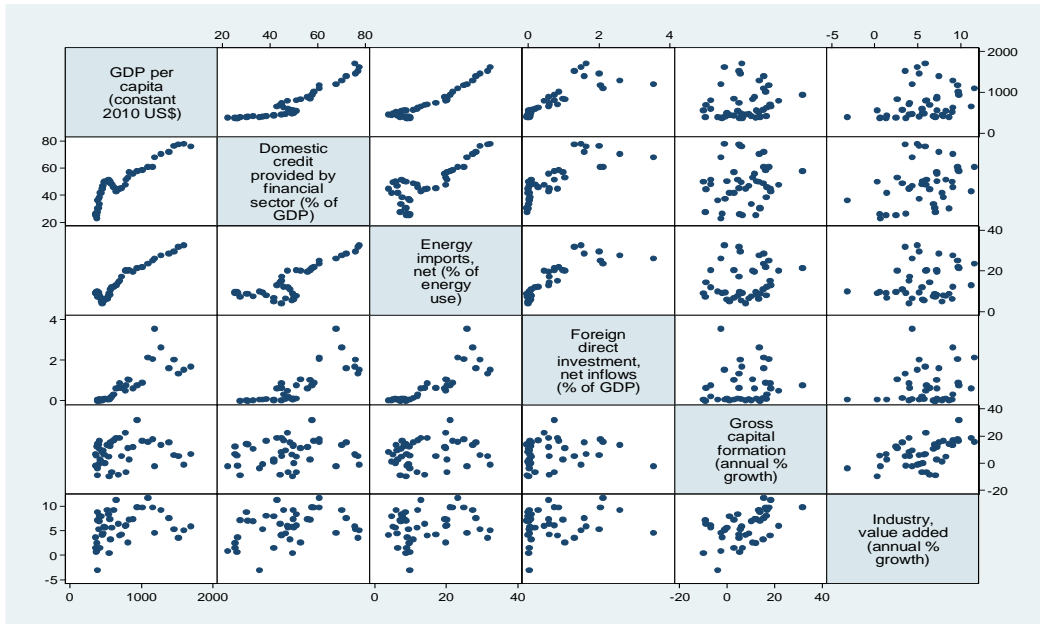
### Breusch-Godfrey LM test

Breusch-Godfrey LM test for autocorrelation			
lags( $p$ )	chi2	df	Prob > chi2
1	<b>13.931</b>	<b>1</b>	<b>0.0002</b>
H0: no serial correlation			

## MULTICOLLINEARITY

(iii) Identify the presence of multicollinearity from the following post estimation results and interpret the results.

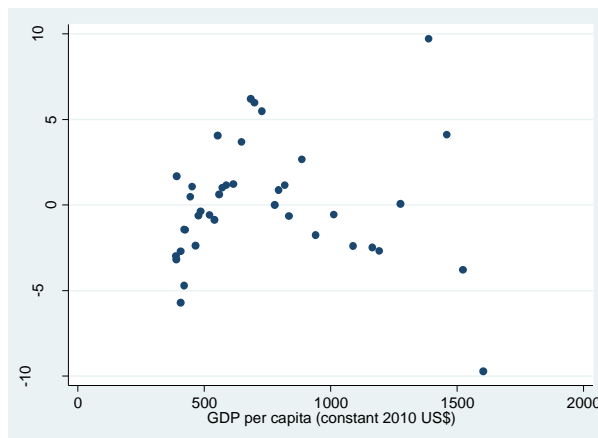
### Scatter Plot Matrix



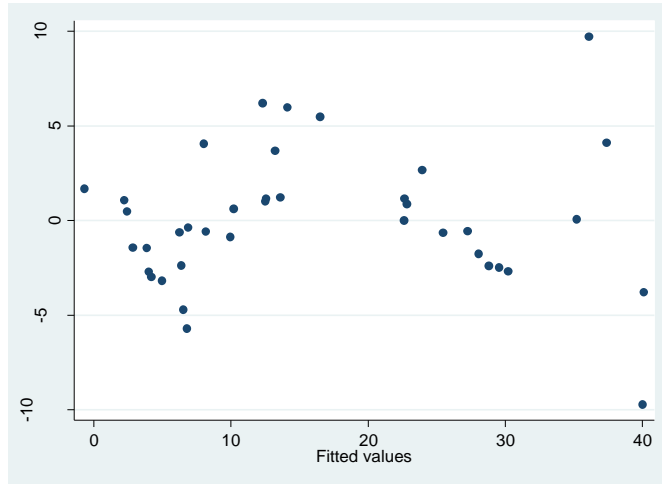
### Correlation Matrix

	GDPP	DCF	EIM	FDIP	GCFR	IVAR
GDPP	1.0000					
DCF	0.9306	1.0000				
EIM	0.9644	0.8410	1.0000			
FDIP	0.8412	0.7690	0.8407	1.0000		
GCFR	0.1371	0.0911	0.1562	0.0940	1.0000	
IVAR	0.1580	0.0942	0.1380	0.1845	0.5131	1.0000

### Residual vs Explanatory Variables-I



## Residual vs Fitted



## Variance Inflation Factor (VIF) and Tolerance(TOL)

variable	VIF	1/VIF
GDPP	<b>50.88</b>	<b>0.019655</b>
EIM	<b>24.32</b>	<b>0.041125</b>
DCF	<b>12.06</b>	<b>0.082911</b>
FDIP	<b>3.72</b>	<b>0.268737</b>
IVAR	<b>1.51</b>	<b>0.660841</b>
GCFR	<b>1.42</b>	<b>0.701826</b>
Mean VIF	<b>15.65</b>	